



eClassroom

GCSE Mathematics

FDP Equivalence

Worked Solutions

Pearson Edexcel GCSE & iGCSE Mathematics



Section A — Foundation — Worked Solutions

[Fluency] Question 1

$$0.5 = 5 \text{ tenths} = 5/10$$

$$\therefore \mathbf{1/2}$$

[Fluency] Question 2

Percentage \rightarrow decimal: divide by 100.

$$25 \div 100 = 0.25$$

$$\therefore \mathbf{0.25}$$

[Fluency] Question 3

$$4 \div 5 = 0.8 \rightarrow 0.8 \times 100 = 80\%$$

$$\therefore \mathbf{80\%}$$

[Fluency] Question 4

$$0.04 \times 100 = 4\%$$

$$\therefore \mathbf{4\%}$$

[Fluency] Question 5

$$60\% = 60/100$$

Simplify: divide top and bottom by 20 $\rightarrow 3/5$

$$\therefore \mathbf{3/5}$$

[Reasoning] Question 6

Convert all to decimals:

$$2/5 = 0.40 \quad 43\% = 0.43 \quad 0.45 = 0.45$$

Order: $0.40 < 0.43 < 0.45$

$$\therefore \mathbf{2/5, 43\%, 0.45}$$



[Reasoning] Question 7

Convert $\frac{3}{4}$ to a percentage: $3 \div 4 = 0.75 = 75\%$

Compare: $75\% > 70\%$

Jake is correct.

\therefore Jake is correct. $\frac{3}{4} = 75\%$ which is greater than 70% .

[Reasoning] Question 8

(a) $(17 \div 40) \times 100 = 42.5\%$

(b) $42.5\% \div 100 = 0.425$

\therefore (a) 42.5% (b) 0.425

[Problem Solving] Question 9

Convert all to the same form:

$\frac{2}{5} = \frac{40}{100} = 40\%$ blue = 35%

Total accounted for: $40\% + 35\% = 75\%$

Yellow: $100\% - 75\% = 25\% = \frac{25}{100} = \frac{1}{4}$

\therefore $\frac{1}{4}$

[Problem Solving] Question 10

Convert all to decimals:

Anna: $\frac{5}{8} = 0.625$ km Ben: 0.6 km Cara: $63\% = 0.63$ km

Order: $0.600 < 0.625 < 0.630$

(a) Cara runs furthest (0.630 km = 63%).

(b) Furthest – shortest: $0.630 - 0.600 = 0.030$ km

$0.030 = \frac{30}{1000} = \frac{3}{100}$ km

\therefore (a) Cara (b) $\frac{3}{100}$ km



Section B — Higher — Worked Solutions

[Fluency] Question 1

Let $x = 0.6666\dots$

One digit recurs \rightarrow multiply by 10: $10x = 6.666\dots$

Subtract: $9x = 6 \rightarrow x = 6/9$

Simplify by dividing by 3:

$\therefore \mathbf{2/3}$

[Fluency] Question 2

Let $x = 0.181818\dots$

Two digits recur \rightarrow multiply by 100: $100x = 18.1818\dots$

Subtract: $99x = 18 \rightarrow x = 18/99$

Simplify by dividing by 9:

$\therefore \mathbf{2/11}$

[Fluency] Question 3

Convert all to decimals:

$5/8 = 0.625$ $0.624 = 0.624$ $62\% = 0.620$

Order: $0.620 < 0.624 < 0.625$

$\therefore \mathbf{\text{Ascending: } 62\%, 0.624, 5/8}$

[Fluency] Question 4

Let $x = 0.4444\dots$

One digit recurs $\rightarrow 10x = 4.444\dots$

Subtract: $9x = 4 \rightarrow x = 4/9$ ✓

$\therefore \mathbf{0.\underline{4} = 4/9}$

[Reasoning] Question 5

Let $x = 0.131313\dots$

Two digits recur $\rightarrow 100x = 13.1313\dots$

Subtract: $99x = 13 \rightarrow x = 13/99$ ✓

$\therefore \mathbf{0.\underline{13} = 13/99}$





[Reasoning] Question 6

Convert $5/11$ to decimal: $5 \div 11 = 0.4545\dots$

Distance of $5/11$ from $1/2$: $|0.5000 - 0.4545| = 0.0455$

Distance of 0.46 from $1/2$: $|0.5000 - 0.4600| = 0.0400$

Since $0.0400 < 0.0455$:

\therefore **0.46 is closer to $1/2$.**

[Reasoning] Question 7

Convert p to a fraction: $0.\underline{37} = 37/99$

Compare $37/99$ with $3/8$ using cross-multiplication:

$$37 \times 8 = 296 \quad \text{and} \quad 3 \times 99 = 297$$

Since $296 < 297$, we have $37/99 < 3/8$

\therefore **$p < q$ ✓**

[Problem Solving] Question 8

$$0.\underline{4} = 4/9 \quad (\text{since } 9x = 4)$$

$$0.\underline{2} = 2/9 \quad (\text{since } 9x = 2)$$

$$\text{Sum: } 4/9 + 2/9 = 6/9 = 2/3 \quad \checkmark$$

\therefore **$0.\underline{4} + 0.\underline{2} = 2/3$**

[Problem Solving] Question 9

(a) Convert to fractions with common denominator:

$$3/7 = 60/140 \quad 0.45 = 63/140$$

$$\text{Total: } 60/140 + 63/140 = 123/140$$

English: $1 - 123/140 = 17/140$ (17 and 140 share no factors \rightarrow simplest form)

$$(b) \quad 17/140 \times 140 = 17 \text{ students}$$

\therefore **(a) $17/140$ (b) 17 students**



[Problem Solving] Question 10

Let n be a positive single-digit integer (1 to 9).

$0.\underline{n}$ means $0.nnn\dots$ Let $x = 0.nnn\dots$

Then $10x = n.nnn\dots \rightarrow 9x = n \rightarrow x = n/9$

Similarly, $0.\underline{(9-n)} = (9-n)/9$

Sum: $n/9 + (9-n)/9 = 9/9 = 1 \quad \checkmark$

This holds for all integers n with $1 \leq n \leq 9$.

$\therefore 0.\underline{n} + 0.\underline{(9-n)} = n/9 + (9-n)/9 = 9/9 = 1$ for all valid n .